

The numeric connections of the genetic code

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INTRODUCTION

The number of protons contained in every amino acid and the configuration of DNA bases of their respective genetic coding are connected by numeric phenomena.

These phenomena consist into effects of multiples of prime numbers including the totality of the relations enters the configuration of the genetic code (64 codons) and the values of the numbers of protons (or atomic numbers) in the 64 coded amino acids (61 amino acids and 3 stop).

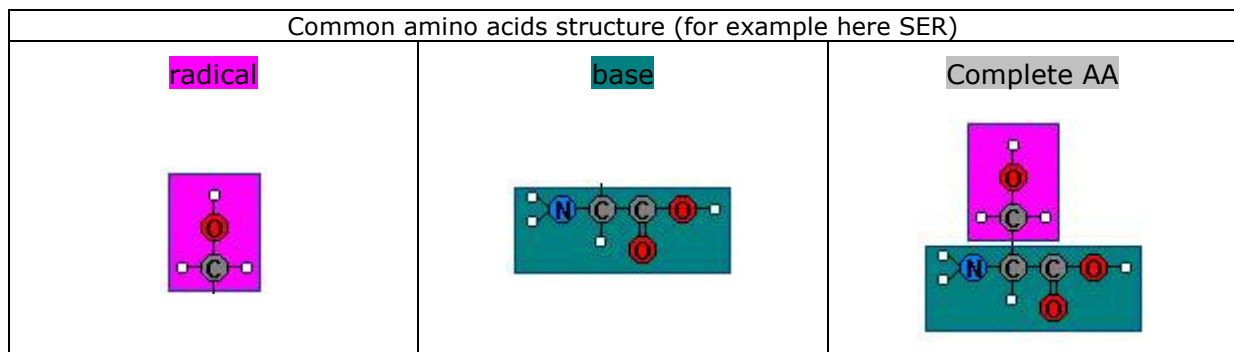
These phenomena describe important effects of a symmetry as for their distributions in the table of the genetic code.

These phenomena of symmetric multiples imply prime numbers:

7 - 11 - 13

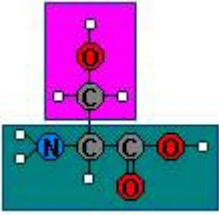
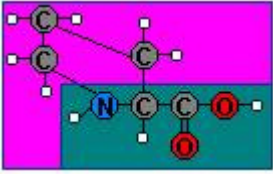
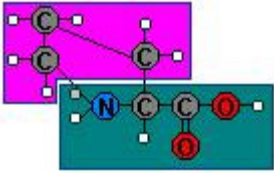
Study technical depiction

The presented phenomena concern the **total protons number** included in the radical + in the base of the 64 coded amino acids (61 amino acids and 3 stop). Example for the serine: 17 protons (radical) + 39 protons (common base) = 56 protons.



Specificity of the proline:

The amino acid proline, has a very particular structure. It is the only among all whose radical has a even number of protons. All other amino acids have an odd radical and organized on the common base (39 protons: also odd) form all a complete molecule possessing a even number of protons. The proline should lose a proton (a hydrogen) during its association on the base to form too a molecule in even number of protons. It is also the only amino acid with two electronic liaisons between the radical and the base.

Amino acids structure	
<p style="text-align: center;">Common amino acids structure</p> <p>One only electronic liaison between the base and the radical. All the amino acid with the same common base.</p> <div style="text-align: center;">  </div> <div style="display: flex; justify-content: space-around; margin-top: 10px;"> Radical zone Base zone </div>	<p style="text-align: center;">Particular proline structure</p> <p>Two electronic liaisons between the base and the radical. One hydrogen atom lost in the base.</p> <div style="text-align: center;">  </div> <div style="display: flex; justify-content: space-around; margin-top: 10px;"> Radical zone Base zone </div>
<p>In this study, the proline hydrogen atom lost is nevertheless accounted:</p> <div style="text-align: center;">  </div> <p style="margin-top: 20px;">So, in this study, the protons account of the proline is equal to 63</p>	

So, in this study, it is accounted for the proline 24 protons in the radical zone + 39 protons in the base zone, so a total number of protons equal to 63. It is the total number of protons of the proline's radical + the one included in the common base of all the amino acids.

Without this special account, the totality of the very numerous phenomena described in this study are completely destroyed.

The proline is also, and not by chance, in the centre of numerous presented phenomena.

Study technical depiction

In this study, the relations " codon-coded " are described mainly so:

<p>Three letters</p> <p>CCG</p> <p>The codon</p> <p>being described by three DNA bases</p>	<p>94</p> <p>A number</p> <p>Total of protons</p> <p>Being contained in the coded amino acid radical + in the base of amino acid (not gathered chemically)</p>
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Example of a codon and a coded (here the arginine) constituted of:

Atom	atoms number	protons number	Total protons number
Hydrogen	14	14	<p>94</p> <p>in the coded amino acid radical + in amino acid base</p> <p>not gathered chemically</p>
Carbon	6	36	
Nitrogen	4	28	
Oxygen	2	16	
Sulphur	0	0	

Systematically, it seems that the coded are identical if the final base of the codon is **A either G** or if this base is **T or C**. This except for a named group **the rebel group** : ATA72 , ATG80, TGG108 and TGA (STOP). The **total protons number** of this group is 260: **20 times prime number 13**. The rebel group set apart, codons code for the same coded **if and only if** their last base is or **A or G** or **T or C**.

In this group: was coded ATG80, **the methionine**, the fundamental sulphured amino acid (**ATG** is the **initiator codon**). Also in this group: was coded TGG108, **the tryptophan** (the more large protons number coded). Also in this group: was coded TGA (STOP).

VERY IMPORTANT ESTABLISHED PHENOMENA	
The rebel group set apart, the codons code for the same coded	
➔	if and only if their last base is A or G
➔	if and only if their last base is T or C

FIRST PART OF THE STUDY NO INCLUDING THE REBEL GROUP INTO ACCOUNTS

First part study technical introduction

The following table describes the whole genetic code: the three bases of the codon, the coded amino acid and the number of protons contained in the coded amino acid. In fat the totals accumulated by protons appear. The values of **the rebel group** are not taken into accounts.

AAA LYS	80	GAA GLU	78	TAA STOP	0	CAA GLN	78	236	
AAG LYS	80	GAG GLU	78	TAG STOP	0	CAG GLN	78	236	
AAT ASN	70	GAT ASP	70	TAT TYR	96	CAT HIS	82	318	
AAC ASN	70	GAC ASP	70	TAC TYR	96	CAC HIS	82	318	
	300		296		192		320		1108
AGA ARG	94	GGA GLY	40	TGA STOP	0	CGA ARG	94	228	
AGG ARG	94	GGG GLY	40	TGG TRP	108	CGG ARG	94	228	
AGT SER	56	GGT GLY	40	TGT CYS	64	CGT ARG	94	254	
AGC SER	56	GGC GLY	40	TGC CYS	64	CGC ARG	94	254	
	300		160		128		376		964
ATA ILE	72	GTA VAL	64	TTA LEU	72	CTA LEU	72	208	
ATG MET	80	GTG VAL	64	TTG LEU	72	CTG LEU	72	208	
ATT ILE	72	GTT VAL	64	TTT PHE	88	CTT LEU	72	296	
ATC ILE	72	GTC VAL	64	TTC PHE	88	CTC LEU	72	296	
	144		256		320		288		1008
ACA THR	64	GCA ALA	48	TCA SER	56	CCA PRO	63	231	
ACG THR	64	GCG ALA	48	TCG SER	56	CCG PRO	63	231	
ACT THR	64	GCT ALA	48	TCT SER	56	CCT PRO	63	231	
ACC THR	64	GCC ALA	48	TCC SER	56	CCC PRO	63	231	
	256		192		224		252		924
	1000		904		864		1236		4004

Base rank	Base A	Base G	Base T	Base C
Rank 1	1000	904	864	1236
Rank 2	1108	964	1008	924
Rank 3	903	903	1099	1099

In most of the next descriptions, this table is represented compressed.
 The ranks of codons bases are always classified in the same order: **A G T C**
 A box is the total sum (protons number) of 4 coded with the identical 2 first DNA bases.

	A	G	T	C
A	300	296	192	320
G	300	160	128	376
T	144	256	320	288
C	256	192	224	252

Phenomena of multiples (7 , 11 and 13) according to the rank of the base

The total number of protons of all the coded and **the excluded rebel group** is:

$$4004 = 2^2 \times 7 \times 11 \times 13$$

Of very numerous numeric phenomena of symmetric multiples of these last three prime numbers connect the structure of amino acids to the general configuration of the genetic code. The phenomena implying the prime number **7** are here most significant.

These values groups organize in multiples of prime numbers 13 , 7 and 11					
	A	G	T	C	
rank 1	1000	904	864	1236	rank 1
rank 2	1108	964	1008	924	rank 2
rank 3	903	903	1099	1099	rank 3
1000 + 1236 = 172 x 13		1108 + 964 = 296 x 7		903 + 1099 = 182 x 11	
904 + 864 = 136 x 13		1008 + 924 = 276 x 7		903 + 1099 = 182 x 11	
Rank by rank, all the sums of bases A and G and T and C are multiple of 7					
1000 + 904 = 272 x 7			864 + 1236 = 300 x 7		
1108 + 964 = 296 x 7			1008 + 924 = 276 x 7		
903 + 903 = 258 x 7			1099 + 1099 = 314 x 7		
Also, 50 % of the individual values are multiple of 7			The other 50 % are regularly multiple of 7 in 1 , in 2 and in 3 near		
1008 = 144 x 7			1000 = (143 x 7) - 1		
924 = 132 x 7			904 = (129 x 7) + 1		
903 (base A) = 129 x 7			1108 = (157 x 7) + 2		
903 (base G) = 129 x 7			964 = (138 x 7) - 2		
1099 (base T) = 157 x 7			864 = (123 x 7) + 3		
1099 (base C) = 157 x 7			1236 = (177 x 7) - 3		

These values are not distributed at random but grouped together : the exact multiple values of 7 (in 0 near) concern the third whole rank (base A, G, T and C) and half of the second rank (base T and C).

Base rank	Base A	Base G	Base T	Base C
Rank 1	1000 (- 1)*	904 (+ 1)*	864 (+ 3)*	1236 (- 3)*
Rank 2	1108 (+ 2)*	964 (- 2)*	1008	924
Rank 3	903	903	1099	1099

* multiple of 7 in 1 , in 2 and in 3 near

Condensed phenomena (summary) of these multiples of the prime number 7 :

<p>Sums of</p> <p>columns 1 + 2 columns 3 + 4</p> <p>are multiples of the prime number 7</p> <p>sum of columns 1 + 2 = 7 x 272</p> <table border="1" style="width: 100%; border-collapse: collapse; text-align: center;"> <tr><td>AA</td><td>GA</td><td>TA</td><td>CA</td><td>AA</td><td>GA</td><td>TA</td><td>CA</td></tr> <tr><td>300</td><td>296</td><td>192</td><td>320</td><td>300</td><td>296</td><td>192</td><td>320</td></tr> <tr><td>AG</td><td>GG</td><td>TG</td><td>CG</td><td>AG</td><td>GG</td><td>TG</td><td>CG</td></tr> <tr><td>300</td><td>160</td><td>128</td><td>376</td><td>300</td><td>160</td><td>128</td><td>376</td></tr> <tr><td>AT</td><td>GT</td><td>TT</td><td>CT</td><td>AT</td><td>GT</td><td>TT</td><td>CT</td></tr> <tr><td>144</td><td>256</td><td>320</td><td>288</td><td>144</td><td>256</td><td>320</td><td>288</td></tr> <tr><td>AC</td><td>GC</td><td>TC</td><td>CC</td><td>AC</td><td>GC</td><td>TC</td><td>CC</td></tr> <tr><td>256</td><td>192</td><td>224</td><td>252</td><td>256</td><td>192</td><td>224</td><td>252</td></tr> </table> <p>sum of columns 3 + 4 = 7 x 300</p>	AA	GA	TA	CA	AA	GA	TA	CA	300	296	192	320	300	296	192	320	AG	GG	TG	CG	AG	GG	TG	CG	300	160	128	376	300	160	128	376	AT	GT	TT	CT	AT	GT	TT	CT	144	256	320	288	144	256	320	288	AC	GC	TC	CC	AC	GC	TC	CC	256	192	224	252	256	192	224	252	<p>Sums of</p> <p>lines 1 + 2 lines 3 + 4</p> <p>are multiples of the prime number 7</p> <p>sum of lines 1 + 2 = 7 x 296</p> <table border="1" style="width: 100%; border-collapse: collapse; text-align: center;"> <tr><td>AA</td><td>GA</td><td>TA</td><td>CA</td><td>AA</td><td>GA</td><td>TA</td><td>CA</td></tr> <tr><td>300</td><td>296</td><td>192</td><td>320</td><td>300</td><td>296</td><td>192</td><td>320</td></tr> <tr><td>AG</td><td>GG</td><td>TG</td><td>CG</td><td>AG</td><td>GG</td><td>TG</td><td>CG</td></tr> <tr><td>300</td><td>160</td><td>128</td><td>376</td><td>300</td><td>160</td><td>128</td><td>376</td></tr> <tr><td>AT</td><td>GT</td><td>TT</td><td>CT</td><td>AT</td><td>GT</td><td>TT</td><td>CT</td></tr> <tr><td>144</td><td>256</td><td>320</td><td>288</td><td>144</td><td>256</td><td>320</td><td>288</td></tr> <tr><td>AC</td><td>GC</td><td>TC</td><td>CC</td><td>AC</td><td>GC</td><td>TC</td><td>CC</td></tr> <tr><td>256</td><td>192</td><td>224</td><td>252</td><td>256</td><td>192</td><td>224</td><td>252</td></tr> </table> <p>sum of lines 3 + 4 = 7 x 276</p>	AA	GA	TA	CA	AA	GA	TA	CA	300	296	192	320	300	296	192	320	AG	GG	TG	CG	AG	GG	TG	CG	300	160	128	376	300	160	128	376	AT	GT	TT	CT	AT	GT	TT	CT	144	256	320	288	144	256	320	288	AC	GC	TC	CC	AC	GC	TC	CC	256	192	224	252	256	192	224	252
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The sums of **individual columns** and **individual lines** are successively multiple of 7 (**in 0 near**), of 7 **in 1 near** , of 7 **in 2 near** and of 7 **in 3 near**. **All possibilities of 7 multiples are represented in the genetic code table: (8 possibilities in 4 lines and 4 columns).**

<p>sum of column 1 = (7 x 143) - 1</p> <table border="1" style="width: 100%; border-collapse: collapse; text-align: center;"> <tr><td>AA</td><td>GA</td><td>TA</td><td>CA</td><td>AA</td><td>GA</td><td>TA</td><td>CA</td></tr> <tr><td>300</td><td>296</td><td>192</td><td>320</td><td>300</td><td>296</td><td>192</td><td>320</td></tr> <tr><td>AG</td><td>GG</td><td>TG</td><td>CG</td><td>AG</td><td>GG</td><td>TG</td><td>CG</td></tr> <tr><td>300</td><td>160</td><td>128</td><td>376</td><td>300</td><td>160</td><td>128</td><td>376</td></tr> <tr><td>AT</td><td>GT</td><td>TT</td><td>CT</td><td>AT</td><td>GT</td><td>TT</td><td>CT</td></tr> <tr><td>144</td><td>256</td><td>320</td><td>288</td><td>144</td><td>256</td><td>320</td><td>288</td></tr> <tr><td>AC</td><td>GC</td><td>TC</td><td>CC</td><td>AC</td><td>GC</td><td>TC</td><td>CC</td></tr> <tr><td>256</td><td>192</td><td>224</td><td>252</td><td>256</td><td>192</td><td>224</td><td>252</td></tr> </table> <p>sum of column 2 = (7 x 129) + 1</p>	AA	GA	TA	CA	AA	GA	TA	CA	300	296	192	320	300	296	192	320	AG	GG	TG	CG	AG	GG	TG	CG	300	160	128	376	300	160	128	376	AT	GT	TT	CT	AT	GT	TT	CT	144	256	320	288	144	256	320	288	AC	GC	TC	CC	AC	GC	TC	CC	256	192	224	252	256	192	224	252	<p>sum of column 3 = (7 x 123) + 3</p> <table border="1" style="width: 100%; border-collapse: collapse; text-align: center;"> <tr><td>AA</td><td>GA</td><td>TA</td><td>CA</td><td>AA</td><td>GA</td><td>TA</td><td>CA</td></tr> <tr><td>300</td><td>296</td><td>192</td><td>320</td><td>300</td><td>296</td><td>192</td><td>320</td></tr> <tr><td>AG</td><td>GG</td><td>TG</td><td>CG</td><td>AG</td><td>GG</td><td>TG</td><td>CG</td></tr> <tr><td>300</td><td>160</td><td>128</td><td>376</td><td>300</td><td>160</td><td>128</td><td>376</td></tr> <tr><td>AT</td><td>GT</td><td>TT</td><td>CT</td><td>AT</td><td>GT</td><td>TT</td><td>CT</td></tr> <tr><td>144</td><td>256</td><td>320</td><td>288</td><td>144</td><td>256</td><td>320</td><td>288</td></tr> <tr><td>AC</td><td>GC</td><td>TC</td><td>CC</td><td>AC</td><td>GC</td><td>TC</td><td>CC</td></tr> <tr><td>256</td><td>192</td><td>224</td><td>252</td><td>256</td><td>192</td><td>224</td><td>252</td></tr> </table> <p>sum of column 4 = (7 x 177) - 3</p>	AA	GA	TA	CA	AA	GA	TA	CA	300	296	192	320	300	296	192	320	AG	GG	TG	CG	AG	GG	TG	CG	300	160	128	376	300	160	128	376	AT	GT	TT	CT	AT	GT	TT	CT	144	256	320	288	144	256	320	288	AC	GC	TC	CC	AC	GC	TC	CC	256	192	224	252	256	192	224	252
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<p>sum of line 1 = (7 x 157) + 2</p> <table border="1" style="width: 100%; border-collapse: collapse; text-align: center;"> <tr><td>AA</td><td>GA</td><td>TA</td><td>CA</td><td>AA</td><td>GA</td><td>TA</td><td>CA</td></tr> <tr><td>300</td><td>296</td><td>192</td><td>320</td><td>300</td><td>296</td><td>192</td><td>320</td></tr> <tr><td>AG</td><td>GG</td><td>TG</td><td>CG</td><td>AG</td><td>GG</td><td>TG</td><td>CG</td></tr> <tr><td>300</td><td>160</td><td>128</td><td>376</td><td>300</td><td>160</td><td>128</td><td>376</td></tr> <tr><td>AT</td><td>GT</td><td>TT</td><td>CT</td><td>AT</td><td>GT</td><td>TT</td><td>CT</td></tr> <tr><td>144</td><td>256</td><td>320</td><td>288</td><td>144</td><td>256</td><td>320</td><td>288</td></tr> <tr><td>AC</td><td>GC</td><td>TC</td><td>CC</td><td>AC</td><td>GC</td><td>TC</td><td>CC</td></tr> <tr><td>256</td><td>192</td><td>224</td><td>252</td><td>256</td><td>192</td><td>224</td><td>252</td></tr> </table> <p>sum of line 2 = (7 x 138) - 2</p>	AA	GA	TA	CA	AA	GA	TA	CA	300	296	192	320	300	296	192	320	AG	GG	TG	CG	AG	GG	TG	CG	300	160	128	376	300	160	128	376	AT	GT	TT	CT	AT	GT	TT	CT	144	256	320	288	144	256	320	288	AC	GC	TC	CC	AC	GC	TC	CC	256	192	224	252	256	192	224	252	<p>sum of line 3 = (7 x 144) - 0</p> <table border="1" style="width: 100%; border-collapse: collapse; text-align: center;"> <tr><td>AA</td><td>GA</td><td>TA</td><td>CA</td><td>AA</td><td>GA</td><td>TA</td><td>CA</td></tr> <tr><td>300</td><td>296</td><td>192</td><td>320</td><td>300</td><td>296</td><td>192</td><td>320</td></tr> <tr><td>AG</td><td>GG</td><td>TG</td><td>CG</td><td>AG</td><td>GG</td><td>TG</td><td>CG</td></tr> <tr><td>300</td><td>160</td><td>128</td><td>376</td><td>300</td><td>160</td><td>128</td><td>376</td></tr> <tr><td>AT</td><td>GT</td><td>TT</td><td>CT</td><td>AT</td><td>GT</td><td>TT</td><td>CT</td></tr> <tr><td>144</td><td>256</td><td>320</td><td>288</td><td>144</td><td>256</td><td>320</td><td>288</td></tr> <tr><td>AC</td><td>GC</td><td>TC</td><td>CC</td><td>AC</td><td>GC</td><td>TC</td><td>CC</td></tr> <tr><td>256</td><td>192</td><td>224</td><td>252</td><td>256</td><td>192</td><td>224</td><td>252</td></tr> </table> <p>sum of line 4 = (7 x 132) + 0</p>	AA	GA	TA	CA	AA	GA	TA	CA	300	296	192	320	300	296	192	320	AG	GG	TG	CG	AG	GG	TG	CG	300	160	128	376	300	160	128	376	AT	GT	TT	CT	AT	GT	TT	CT	144	256	320	288	144	256	320	288	AC	GC	TC	CC	AC	GC	TC	CC	256	192	224	252	256	192	224	252
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256	192	224	252	256	192	224	252																																																																																																																										
AA	GA	TA	CA	AA	GA	TA	CA																																																																																																																										
300	296	192	320	300	296	192	320																																																																																																																										
AG	GG	TG	CG	AG	GG	TG	CG																																																																																																																										
300	160	128	376	300	160	128	376																																																																																																																										
AT	GT	TT	CT	AT	GT	TT	CT																																																																																																																										
144	256	320	288	144	256	320	288																																																																																																																										
AC	GC	TC	CC	AC	GC	TC	CC																																																																																																																										
256	192	224	252	256	192	224	252																																																																																																																										

Phenomena of concentration of prime number 7 multiples to the proline genetic coding

The total of the **16 values** (condensed by the main table of the genetic code) is multiple of the **prime number 7** ($4004 = 7 \times 572$) and:

This total is subdivided in 2 groups also multiple of 7																																			
<p>8 values group multiple of 7:</p> $300 + 296 + 192 + 320 + 300 + 160 + 128 + 376 = 2072 = 7 \times 296$	<table border="1" style="margin: auto; border-collapse: collapse;"> <tr><td style="padding: 2px;">AA</td><td style="padding: 2px;">GA</td><td style="padding: 2px;">TA</td><td style="padding: 2px;">CA</td></tr> <tr><td style="padding: 2px;">300</td><td style="padding: 2px;">296</td><td style="padding: 2px;">192</td><td style="padding: 2px;">320</td></tr> <tr><td style="padding: 2px;">AG</td><td style="padding: 2px;">GG</td><td style="padding: 2px;">TG</td><td style="padding: 2px;">CG</td></tr> <tr><td style="padding: 2px;">300</td><td style="padding: 2px;">160</td><td style="padding: 2px;">128</td><td style="padding: 2px;">376</td></tr> </table>	AA	GA	TA	CA	300	296	192	320	AG	GG	TG	CG	300	160	128	376	<table border="1" style="margin: auto; border-collapse: collapse;"> <tr><td style="padding: 2px;">AT</td><td style="padding: 2px;">GT</td><td style="padding: 2px;">TT</td><td style="padding: 2px;">CT</td></tr> <tr><td style="padding: 2px;">144</td><td style="padding: 2px;">256</td><td style="padding: 2px;">320</td><td style="padding: 2px;">288</td></tr> <tr><td style="padding: 2px;">AC</td><td style="padding: 2px;">GC</td><td style="padding: 2px;">TC</td><td style="padding: 2px;">CC</td></tr> <tr><td style="padding: 2px;">256</td><td style="padding: 2px;">192</td><td style="padding: 2px;">224</td><td style="padding: 2px;">252</td></tr> </table>	AT	GT	TT	CT	144	256	320	288	AC	GC	TC	CC	256	192	224	252	<p>8 values group multiple of 7:</p> $144 + 256 + 320 + 288 + 256 + 192 + 224 + 252 = 1932 = 7 \times 276$
AA	GA	TA	CA																																
300	296	192	320																																
AG	GG	TG	CG																																
300	160	128	376																																
AT	GT	TT	CT																																
144	256	320	288																																
AC	GC	TC	CC																																
256	192	224	252																																

and new division:																			
<p>4 values group multiple of 7:</p> $144 + 256 + 320 + 288 = 1008 = 7 \times 144$	<table border="1" style="margin: auto; border-collapse: collapse;"> <tr><td style="padding: 2px;">AT</td><td style="padding: 2px;">GT</td><td style="padding: 2px;">TT</td><td style="padding: 2px;">CT</td></tr> <tr><td style="padding: 2px;">144</td><td style="padding: 2px;">256</td><td style="padding: 2px;">320</td><td style="padding: 2px;">288</td></tr> </table>	AT	GT	TT	CT	144	256	320	288	<table border="1" style="margin: auto; border-collapse: collapse;"> <tr><td style="padding: 2px;">AC</td><td style="padding: 2px;">GC</td><td style="padding: 2px;">TC</td><td style="padding: 2px;">CC</td></tr> <tr><td style="padding: 2px;">256</td><td style="padding: 2px;">192</td><td style="padding: 2px;">224</td><td style="padding: 2px;">252</td></tr> </table>	AC	GC	TC	CC	256	192	224	252	<p>4 values group multiple of 7:</p> $256 + 192 + 224 + 252 = 924 = 7 \times 132$
AT	GT	TT	CT																
144	256	320	288																
AC	GC	TC	CC																
256	192	224	252																

and new division:											
<p>2 values group multiple of 7:</p> $256 + 192 = 448 = 7 \times 64$	<table border="1" style="margin: auto; border-collapse: collapse;"> <tr><td style="padding: 2px;">AC</td><td style="padding: 2px;">GC</td><td style="padding: 2px;">TC</td><td style="padding: 2px;">CC</td></tr> <tr><td style="padding: 2px;">256</td><td style="padding: 2px;">192</td><td style="padding: 2px;">224</td><td style="padding: 2px;">252</td></tr> </table>	AC	GC	TC	CC	256	192	224	252	<p>2 values group multiple of 7:</p> $224 + 252 = 476 = 7 \times 68$	
AC	GC	TC	CC								
256	192	224	252								

and new division:							
<p>1 value group multiple of 7:</p> $224 = 7 \times 32$	<table border="1" style="margin: auto; border-collapse: collapse;"> <tr><td style="padding: 2px;">TC</td><td style="padding: 2px;">CC</td></tr> <tr><td style="padding: 2px;">224</td><td style="padding: 2px;">252</td></tr> </table>	TC	CC	224	252	<p>1 value group multiple of 7:</p> $252 = 7 \times 36$	
TC	CC						
224	252						

It appears so in this configuration of 7 multiples, a regular phenomenon of more and more strong concentration to the coding of **the proline**:

16 values group multiple...			
300	296	192	320
300	160	128	376
144	256	320	288
256	192	224	252
572 x 7			
...then twice 8 values groups...	...then twice 4 values groups...	...twice 2 values groups...	and finally twice 1 value group!
300	296	192	320
300	160	128	376
144	256	320	288
256	192	224	252
256 x 7	300	296	192
	300	160	128
	144	256	320
	256	192	224
132 x 7	300	296	192
	300	160	128
	144	256	320
	256	192	224
68 x 7	300	296	192
	300	160	128
	144	256	320
	256	192	224
36 x 7	300	296	192
	300	160	128
	144	256	320
	256	192	224

The probability of existence of this configuration in a square with 16 boxes (16 values) is **1/16307 (1/7⁵)!** This phenomenon concentrates to the coding of **the proline**, the amino acid the peculiarities of which described in introduction can not be without report with these observations.

➡ Curiously (but certainly not by chance), the box value coding for **the proline (252)** is the nearest value (among all 16 values) to the 16 values average : the 16 values average =

$$4004/16 = 250.25$$

The orderly last one of this table is the only one where, every time, four codons code for the same amino acid

ACA THR 64	GCA ALA 48	TCA SER 56	CCA PRO 63
ACG THR 64	GCG ALA 48	TCG SER 56	CCG PRO 63
ACT THR 64	GCT ALA 48	TCT SER 56	CCT PRO 63
ACC THR 64	GCC ALA 48	TCC SER 56	CCC PRO 63

Both basic values (**64 and 48**) left boxes (AC-and GC-) are multiple of **7** in one near. Both mutual values with right boxes (**56 and 63**) both are multiple exact of **7**. The more and more strong concentration of multiples of 7 towards these last two boxes of the table of the genetic code can so have a report with a stability of the coding of amino acids aiming towards four codons for one amino acid. This phenomenon concentrated on **the proline** to a direct report with another associated phenomenon:

VERY IMPORTANT ESTABLISHED PHENOMENA

The phenomenon of concentration of multiples of 7 to the proline coding has a link with the **number of coded** contained in every box (**first two identical bases**). At the top of the table, 8 boxes are necessary to form a multiple of 7 and 25 % of these boxes (2 boxes) code only for the coded only one. Then, on 4 boxes forming a multiple of 7, 2 boxes (50 %) code for the coded only one. Both following boxes forming a multiple of 7 code in 100 % for the coded only one and it's the same for the 2 remaining boxes where concentrates this double phenomenon:



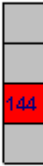



multiple of 7 and a single coded amino acid.

Associations "multiples of 7 and number of coded by box"

The phenomenon of concentration of multiple of 7 to the proline coding has a link with the **number of coded** contained in every box (**first two identical bases**):(The rebel group is not booked.)

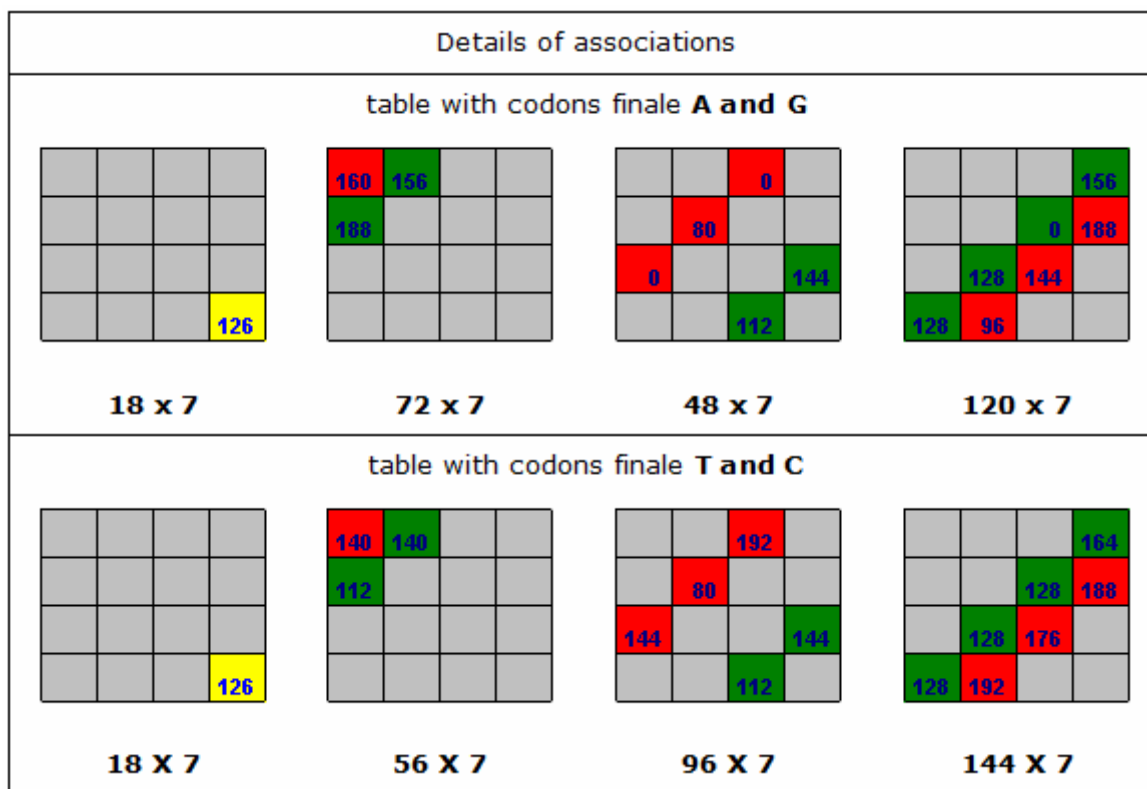
Associations " multiples of 7 and number of coded by box			
25 % boxes with 1 only coded			
AAA LYS 80	GAA GLU 78	TAA STOP 0	CAA GLN 78
AAG LYS 80	GAG GLU 78	TAG STOP 0	CAG GLN 78
AAT ASN 70	GAT ASP 70	TAT TYR 96	CAT HIS 82
AAC ASN 70	GAC ASP 70	TAC TYR 96	CAC HIS 82
300	296	192	320
AGA ARG 94	GGA GLY 40	TGA STOP 0	CGA ARG 94
AGG ARG 94	GGG GLY 40	TGG TRP 108	CGG ARG 94
AGT SER 56	GGT GLY 40	TGT CYS 64	CGT ARG 94
AGC SER 56	GGC GLY 40	TGC CYS 64	CGC ARG 94
300	160	128	376
8 boxes for one 7 multiple			
50 % boxes with 1 only coded			
ATA ILE 72	GTA VAL 64	TTA LEU 72	CTA LEU 72
ATG MET 80	GTG VAL 64	TTG LEU 72	CTG LEU 72
ATT ILE 72	GTT VAL 64	TTT PHE 88	CTT LEU 72
ATC ILE 72	GTC VAL 64	TTC PHE 88	CTC LEU 72
144	256	320	288
4 boxes for one 7 multiple			
100 % boxes with 1 only coded		100 % boxes with 1 only coded	
ACA THR 64	GCA ALA 48	TCA SER 56	CCA PRO 63
ACG THR 64	GCG ALA 48	TCG SER 56	CCG PRO 63
ACT THR 64	GCT ALA 48	TCT SER 56	CCT PRO 63
ACC THR 64	GCC ALA 48	TCC SER 56	CCC PRO 63
256	192	224	252
2 boxes for one 7 multiple		1 box for one 7 multiple	
8 values to one 7 multiple and 25 % boxes with 1 only coded			
300 + 296 + 192 + 320 + 300 + 160 + 128 + 376 = 2072 = 7 x 296			
4 values to one 7 multiple and 50 % boxes with 1 only coded			
144 + 256 + 320 + 288 = 1008 = 7 x 144			
2 values to one 7 multiple and 100 % boxes with 1 only coded		1 value to one 7 multiple and 100 % boxes with 1 only coded	
256 + 192 = 448 = 7 x 64		224 = 7 x 32	252 = 7 x 36

Phenomena of diagonals associating to the proline genetic coding

The polarity (+ 1 or - 1 near) of these diagonals is regularly alternated					
					
(43 x 7) - 1	(85 x 7) + 1	(71 x 7) - 1	(73 x 7) + 1	(127 x 7) - 1	(137 x 7) + 1
proline box = 36 x 7					

The total of every diagonal of the table of the genetic code since the first box (first and second base A) up to the last one (first and second base C) is always multiple of **7** in one near. Safe for this last box: **that coding for the proline**.

These diagonals join among them and form groups of 1 , 3 , 5 and 7 boxes the totals of which are multiple of **7**. The box of **the proline**, being already multiple of **7**, remains alone and can not moreover join with the other diagonals (odd number of diagonals). By separating the boxes values among the coded codons of which have finales **A and G** and those codons of which have finales **T and C**, the phenomena of multiples of **7** are protected. This, although the values (and the coded) are different in both sub-tables.



Phenomena of multiples of the prime number 11 associated to the number of coded by box

Here, phenomena implicate the prime number 11 are most significant.

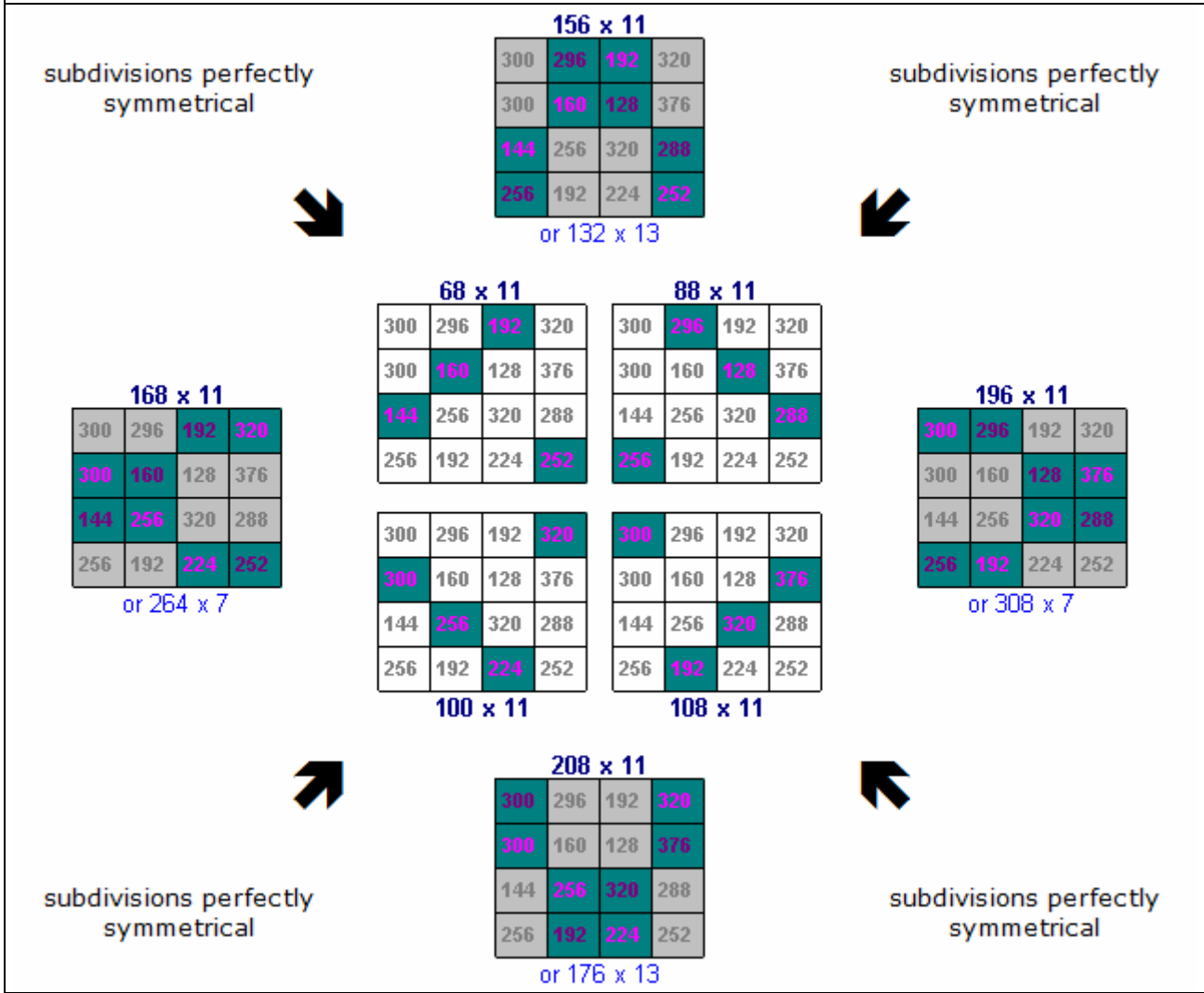
The sums of 8 values of 4 symmetric groups are **multiple of 11**.

The sums of 8 values of 2 symmetric groups are **multiple of 11 and multiple of 7**.

The sums of 8 values of the 2 symmetric other groups are **multiple of 11 and multiple of 13**.

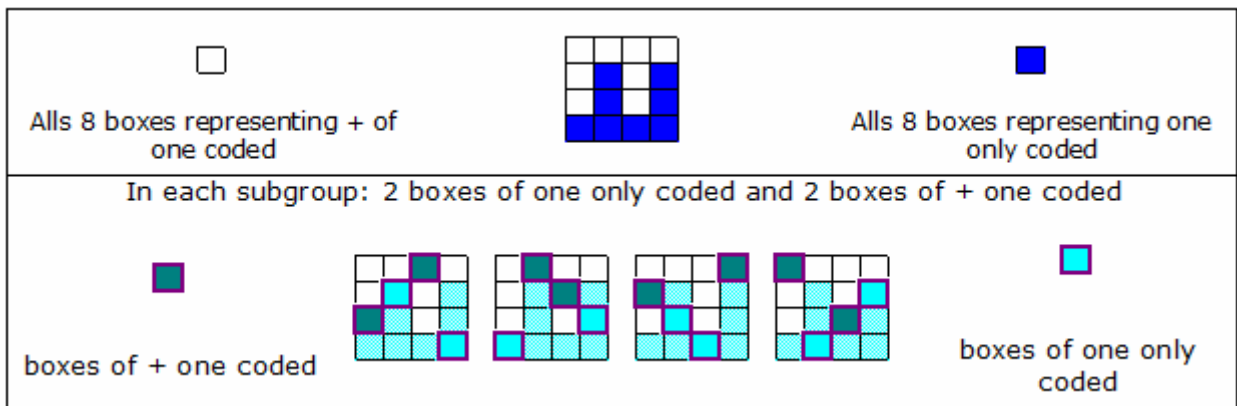
Inside these symmetric groups of 8 values and multiple of **11**, others subgroups of 4 perfectly symmetric and additional values are also multiple of **11**.

Perfectly symmetric subgroups of 11 multiples



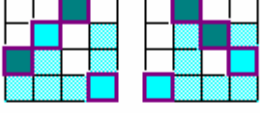
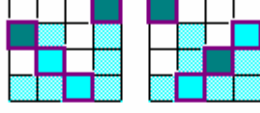

It is not possible that these phenomena are to be by chance. These phenomena are connected to the number of coded by box (codons with the two first DNA bases identical).

Associations of these phenomena of symmetric multiples of the prime number 11 with the number of coded by box : Curious phenomenon, in each subgroup of 4 values (4 boxes) systematically, 2 boxes represent one only coded.



Superposition of the two configurations																	
<p>The configuration with boxes representing one only coded is not symmetrical but the superposition with the symmetrical sub groups of 11 multiples form regularly associations of 4 boxes with 2 boxes representing + of one coded and 2 boxes representing one only coded!</p>	<table border="1" style="margin: auto; border-collapse: collapse; text-align: center;"> <tr><td style="color: red;">300</td><td style="color: green;">296</td><td style="color: blue;">192</td><td style="color: red;">320</td></tr> <tr><td style="color: red;">300</td><td style="color: green;">160</td><td style="color: blue;">128</td><td style="color: red;">376</td></tr> <tr><td style="color: blue;">144</td><td style="color: green;">256</td><td style="color: red;">320</td><td style="color: blue;">288</td></tr> <tr><td style="color: green;">256</td><td style="color: blue;">192</td><td style="color: red;">224</td><td style="color: green;">252</td></tr> </table> <p style="text-align: center; margin-top: 10px;">In each sub group: 2 boxes of one only coded and 2 boxes of + one coded</p>	300	296	192	320	300	160	128	376	144	256	320	288	256	192	224	252
300	296	192	320														
300	160	128	376														
144	256	320	288														
256	192	224	252														

By permuting two by two, into each sub group, 2 boxes of one only coded and 2 boxes of + one coded, appears new configurations also multiple of 11.

<p style="text-align: center; color: red;">Original configuration</p>  <p style="text-align: center; color: red;">permutation of 2 boxes</p> <table style="width: 100%; text-align: center; border-collapse: collapse;"> <tr> <td style="border: 1px solid black; padding: 2px;">300</td><td style="border: 1px solid black; padding: 2px; color: red;">296</td><td style="border: 1px solid black; padding: 2px;">192</td><td style="border: 1px solid black; padding: 2px;">320</td> <td style="border: 1px solid black; padding: 2px;">300</td><td style="border: 1px solid black; padding: 2px;">296</td><td style="border: 1px solid black; padding: 2px; color: red;">192</td><td style="border: 1px solid black; padding: 2px;">320</td> </tr> <tr> <td style="border: 1px solid black; padding: 2px;">300</td><td style="border: 1px solid black; padding: 2px; color: red;">160</td><td style="border: 1px solid black; padding: 2px; color: blue;">128</td><td style="border: 1px solid black; padding: 2px;">376</td> <td style="border: 1px solid black; padding: 2px;">300</td><td style="border: 1px solid black; padding: 2px;">160</td><td style="border: 1px solid black; padding: 2px;">128</td><td style="border: 1px solid black; padding: 2px;">376</td> </tr> <tr> <td style="border: 1px solid black; padding: 2px;">144</td><td style="border: 1px solid black; padding: 2px;">256</td><td style="border: 1px solid black; padding: 2px;">320</td><td style="border: 1px solid black; padding: 2px;">288</td> <td style="border: 1px solid black; padding: 2px; color: blue;">144</td><td style="border: 1px solid black; padding: 2px;">256</td><td style="border: 1px solid black; padding: 2px;">320</td><td style="border: 1px solid black; padding: 2px; color: red;">288</td> </tr> <tr> <td style="border: 1px solid black; padding: 2px;">256</td><td style="border: 1px solid black; padding: 2px;">192</td><td style="border: 1px solid black; padding: 2px;">224</td><td style="border: 1px solid black; padding: 2px; color: red;">252</td> <td style="border: 1px solid black; padding: 2px; color: red;">256</td><td style="border: 1px solid black; padding: 2px;">192</td><td style="border: 1px solid black; padding: 2px;">224</td><td style="border: 1px solid black; padding: 2px;">252</td> </tr> </table> <p style="text-align: center; margin-top: 10px;"> 76 x 11 80 x 11 </p>	300	296	192	320	300	296	192	320	300	160	128	376	300	160	128	376	144	256	320	288	144	256	320	288	256	192	224	252	256	192	224	252	<p style="text-align: center; color: red;">Original configuration</p>  <p style="text-align: center; color: red;">permutation of 2 boxes</p> <table style="width: 100%; text-align: center; border-collapse: collapse;"> <tr> <td style="border: 1px solid black; padding: 2px;">300</td><td style="border: 1px solid black; padding: 2px;">296</td><td style="border: 1px solid black; padding: 2px;">192</td><td style="border: 1px solid black; padding: 2px; color: red;">320</td> <td style="border: 1px solid black; padding: 2px; color: red;">300</td><td style="border: 1px solid black; padding: 2px;">296</td><td style="border: 1px solid black; padding: 2px;">192</td><td style="border: 1px solid black; padding: 2px;">320</td> </tr> <tr> <td style="border: 1px solid black; padding: 2px; color: red;">300</td><td style="border: 1px solid black; padding: 2px;">160</td><td style="border: 1px solid black; padding: 2px;">128</td><td style="border: 1px solid black; padding: 2px; color: red;">376</td> <td style="border: 1px solid black; padding: 2px;">300</td><td style="border: 1px solid black; padding: 2px;">160</td><td style="border: 1px solid black; padding: 2px;">128</td><td style="border: 1px solid black; padding: 2px;">376</td> </tr> <tr> <td style="border: 1px solid black; padding: 2px;">144</td><td style="border: 1px solid black; padding: 2px;">256</td><td style="border: 1px solid black; padding: 2px;">320</td><td style="border: 1px solid black; padding: 2px;">288</td> <td style="border: 1px solid black; padding: 2px;">144</td><td style="border: 1px solid black; padding: 2px; color: red;">256</td><td style="border: 1px solid black; padding: 2px; color: blue;">320</td><td style="border: 1px solid black; padding: 2px;">288</td> </tr> <tr> <td style="border: 1px solid black; padding: 2px;">256</td><td style="border: 1px solid black; padding: 2px; color: red;">192</td><td style="border: 1px solid black; padding: 2px;">224</td><td style="border: 1px solid black; padding: 2px;">252</td> <td style="border: 1px solid black; padding: 2px;">256</td><td style="border: 1px solid black; padding: 2px;">192</td><td style="border: 1px solid black; padding: 2px; color: red;">224</td><td style="border: 1px solid black; padding: 2px;">252</td> </tr> </table> <p style="text-align: center; margin-top: 10px;"> 108 x 11 100 x 11 </p>	300	296	192	320	300	296	192	320	300	160	128	376	300	160	128	376	144	256	320	288	144	256	320	288	256	192	224	252	256	192	224	252
300	296	192	320	300	296	192	320																																																										
300	160	128	376	300	160	128	376																																																										
144	256	320	288	144	256	320	288																																																										
256	192	224	252	256	192	224	252																																																										
300	296	192	320	300	296	192	320																																																										
300	160	128	376	300	160	128	376																																																										
144	256	320	288	144	256	320	288																																																										
256	192	224	252	256	192	224	252																																																										
<p>These new configurations are symmetrical</p> 																																																																	

Others phenomena of multiples of prime numbers 7, 11 and 13

In the following configuration, associations of multiples of prime numbers **13**, **11** and **7** are progressive from 7 to 13. **Here, the boxes values stand apart between codons by final AG and codons by final TC.**

Symmetric and progressive associations of multiples of prime numbers 13 , 11 and 7																		
<table border="1"> <tr><td>AA/TC</td><td>140</td></tr> <tr><td>AG/TC</td><td>112</td></tr> <tr><td>AT/TC</td><td>144</td></tr> <tr><td>AC/TC</td><td>128</td></tr> </table> <p style="text-align: right;">524</p>	AA/TC	140	AG/TC	112	AT/TC	144	AC/TC	128	<table border="1"> <tr><td>AA/AG</td><td>160</td></tr> <tr><td>AG/AG</td><td>188</td></tr> <tr><td>AT/AG</td><td>152</td></tr> <tr><td>AC/AG</td><td>128</td></tr> </table> <p style="text-align: right;">476</p>	AA/AG	160	AG/AG	188	AT/AG	152	AC/AG	128	1000 = (77 x 13) - 1
AA/TC	140																	
AG/TC	112																	
AT/TC	144																	
AC/TC	128																	
AA/AG	160																	
AG/AG	188																	
AT/AG	152																	
AC/AG	128																	
<table border="1"> <tr><td>TA/AG</td><td>0</td></tr> <tr><td>TG/AG</td><td>108</td></tr> <tr><td>TT/AG</td><td>144</td></tr> <tr><td>TC/AG</td><td>112</td></tr> </table> <p style="text-align: right;">256</p>	TA/AG	0	TG/AG	108	TT/AG	144	TC/AG	112	<table border="1"> <tr><td>GA/AG</td><td>156</td></tr> <tr><td>GG/AG</td><td>80</td></tr> <tr><td>GT/AG</td><td>128</td></tr> <tr><td>GC/AG</td><td>96</td></tr> </table> <p style="text-align: right;">460</p>	GA/AG	156	GG/AG	80	GT/AG	128	GC/AG	96	716 = (55 x 13) + 1
TA/AG	0																	
TG/AG	108																	
TT/AG	144																	
TC/AG	112																	
GA/AG	156																	
GG/AG	80																	
GT/AG	128																	
GC/AG	96																	
780 = 60 x 13 (71x11)-1 or (111x7)+3	936 = 72 x 13 (85x11)+1 or (134x7)-2	1716 = 132 x 13 or 156 x 11 or (245 x 7) + 1																
<table border="1"> <tr><td>TA/TC</td><td>192</td></tr> <tr><td>TG/TC</td><td>128</td></tr> <tr><td>TT/TC</td><td>176</td></tr> <tr><td>TC/TC</td><td>112</td></tr> </table> <p style="text-align: right;">608</p>	TA/TC	192	TG/TC	128	TT/TC	176	TC/TC	112	<table border="1"> <tr><td>GA/TC</td><td>140</td></tr> <tr><td>GG/TC</td><td>80</td></tr> <tr><td>GT/TC</td><td>128</td></tr> <tr><td>GC/TC</td><td>96</td></tr> </table> <p style="text-align: right;">444</p>	GA/TC	140	GG/TC	80	GT/TC	128	GC/TC	96	1052 = (81 x 13) - 1
TA/TC	192																	
TG/TC	128																	
TT/TC	176																	
TC/TC	112																	
GA/TC	140																	
GG/TC	80																	
GT/TC	128																	
GC/TC	96																	
<table border="1"> <tr><td>CA/AG</td><td>156</td></tr> <tr><td>CG/AG</td><td>188</td></tr> <tr><td>CT/AG</td><td>144</td></tr> <tr><td>CC/AG</td><td>126</td></tr> </table> <p style="text-align: right;">614</p>	CA/AG	156	CG/AG	188	CT/AG	144	CC/AG	126	<table border="1"> <tr><td>CA/TC</td><td>164</td></tr> <tr><td>CG/TC</td><td>188</td></tr> <tr><td>CT/TC</td><td>144</td></tr> <tr><td>CC/TC</td><td>126</td></tr> </table> <p style="text-align: right;">622</p>	CA/TC	164	CG/TC	188	CT/TC	144	CC/TC	126	1236 = (95 x 13) + 1
CA/AG	156																	
CG/AG	188																	
CT/AG	144																	
CC/AG	126																	
CA/TC	164																	
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CC/TC	126																	
1222 = 94 x 13 (111x11)+1 or (175x7)-3	1066 = 82 x 13 (97x 11)-1 or (152x7)+2	2288 = 176 x 13 or 208 x 11 or (327 x 7) - 1																
2002 = 2 x 13 x 11 x 7	2002 = 2 x 13 x 11 x 7	4004 = 4 x 13 x 11 x 7																

In this configuration, the total sum **4004** is multiple of prime numbers **13**, **11** and **7**. The subtotal sums **1716** and **2288** are multiple of **13** and **11** and multiple of **7 in 1 near**.

The subtotal sums **936** and **1066** are multiple of **13**, multiple of **11 in 1 near** and multiple of **7 in 2 near**.

The subtotal sums **780** and **1222** are multiple of **13**, multiple of **11 in 1 near** and multiple of **7 in 3 near**.

The two sums **2002** (multiple of 13, 11 and 7) are identical but represent not identical coded! Phenomena presentation in the genetic code table:

Configurations multiple of 13, 11 and 7																																																																																																																																			
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<p>936</p> <p>= 72 x 13</p> <p>(85x11)+1 (134x7)-2</p>	<p>1066</p> <p>= 82 x 13</p> <p>(97x11)-1 (152x7)+2</p>																																																																																																																																		

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These previous configurations of multiples of prime number 13 implicate numerous others configurations of symmetric multiples with symmetric sub configurations systematically multiple of 13 in 1 near !

These phenomena presented here shows all the philosophy emanating of this study on the genetic code: very large and subtle sophistication of fitting of numerical phenomena connecting codons with the coded.

In order to not complicate the presentation of the phenomena too much, only some configurations are presented here.

Some configurations of symmetric 13 multiples with symmetric sub configurations systematically multiple of 13 in 1 near:

$$1716 = 132 \times 13$$

AA/AG	CA/AG	TA/AG	CA/AG
160	156	0	156
AA/TC	GA/TC	TA/TC	CA/TC
140	140	192	164
AG/AG	GG/AG	TG/AG	CG/AG
188	80	0	188
AG/TC	GG/TC	TG/TC	CG/TC
112	80	128	188
AT/AG	GT/AG	TT/AG	CT/AG
0	128	144	144
AT/TC	GT/TC	TT/TC	CT/TC
144	128	176	144
AC/AG	GC/AG	TC/AG	CC/AG
128	96	112	126
AC/TC	GC/TC	TC/TC	CC/TC
128	96	112	126

$$716 = 55 \times 13 + 1$$

$$1000 = 77 \times 13 - 1$$

$$2288 = 176 \times 13$$

AA/AG	GA/AG	TA/AG	CA/AG
160	156	0	156
AA/TC	GA/TC	TA/TC	CA/TC
140	140	192	164
AG/AG	GG/AG	TG/AG	CG/AG
188	80	0	188
AG/TC	GG/TC	TG/TC	CG/TC
112	80	128	188
AT/AG	GT/AG	TT/AG	CT/AG
0	128	144	144
AT/TC	GT/TC	TT/TC	CT/TC
144	128	176	144
AC/AG	GC/AG	TC/AG	CC/AG
128	96	112	126
AC/TC	GC/TC	TC/TC	CC/TC
128	96	112	126

$$1236 = 95 \times 13 + 1$$

$$1052 = 81 \times 13 - 1$$

configurations different but even total sums:

$$1716 = 132 \times 13$$

AA/AG	GA/AG	TA/AG	CA/AG
160	156	0	156
AA/TC	GA/TC	TA/TC	CA/TC
140	140	192	164
AG/AG	GG/AG	TG/AG	CG/AG
188	80	0	188
AG/TC	GG/TC	TG/TC	CG/TC
112	80	128	188
AT/AG	GT/AG	TT/AG	CT/AG
0	128	144	144
AT/TC	GT/TC	TT/TC	CT/TC
144	128	176	144
AC/AG	GC/AG	TC/AG	CC/AG
128	96	112	126
AC/TC	GC/TC	TC/TC	CC/TC
128	96	112	126

$$636 = 49 \times 13 - 1$$

$$1080 = 83 \times 13 + 1$$

$$2288 = 176 \times 13$$

AA/AG	GA/AG	TA/AG	CA/AG
160	156	0	156
AA/TC	GA/TC	TA/TC	CA/TC
140	140	192	164
AG/AG	GG/AG	TG/AG	CG/AG
188	80	0	188
AG/TC	GG/TC	TG/TC	CG/TC
112	80	128	188
AT/AG	GT/AG	TT/AG	CT/AG
0	128	144	144
AT/TC	GT/TC	TT/TC	CT/TC
144	128	176	144
AC/AG	GC/AG	TC/AG	CC/AG
128	96	112	126
AC/TC	GC/TC	TC/TC	CC/TC
128	96	112	126

$$1080 = 83 \times 13 + 1$$

$$1208 = 93 \times 13 - 1$$

Others subtle configurations:

$$2236 = 172 \times 13$$

AA/AG	GA/AG	TA/AG	CA/AG
160	156	0	156
AA/TC	GA/TC	TA/TC	CA/TC
140	140	192	164
AG/AG	GG/AG	TG/AG	CG/AG
188	80	0	188
AG/TC	GG/TC	TG/TC	CG/TC
112	80	128	188
AT/AG	GT/AG	TT/AG	CT/AG
0	128	144	144
AT/TC	GT/TC	TT/TC	CT/TC
144	128	176	144
AC/AG	GC/AG	TC/AG	CC/AG
128	96	112	126
AC/TC	GC/TC	TC/TC	CC/TC
128	96	112	126

$$1000 = 77 \times 13 - 1$$

$$1236 = 95 \times 13 + 1$$

$$1768 = 136 \times 13$$

AA/AG	GA/AG	TA/AG	CA/AG
160	156	0	156
AA/TC	GA/TC	TA/TC	CA/TC
140	140	192	164
AG/AG	GG/AG	TG/AG	CG/AG
188	80	0	188
AG/TC	GG/TC	TG/TC	CG/TC
112	80	128	188
AT/AG	GT/AG	TT/AG	CT/AG
0	128	144	144
AT/TC	GT/TC	TT/TC	CT/TC
144	128	176	144
AC/AG	GC/AG	TC/AG	CC/AG
128	96	112	126
AC/TC	GC/TC	TC/TC	CC/TC
128	96	112	126

$$716 = 55 \times 13 + 1$$

$$1052 = 81 \times 13 - 1$$

$$2236 = 172 \times 13$$

AA/AG	GA/AG	TA/AG	CA/AG
160	156	0	136
AA/TC	GA/TC	TA/TC	CA/TC
140	140	192	164
AG/AG	GG/AG	TG/AG	CG/AG
188	80	0	188
AG/TC	GG/TC	TG/TC	CG/TC
112	80	128	188
AT/AG	GT/AG	TT/AG	CT/AG
0	128	144	144
AT/TC	GT/TC	TT/TC	CT/TC
144	128	176	144
AC/AG	GC/AG	TC/AG	CC/AG
128	96	112	126
AC/TC	GC/TC	TC/TC	CC/TC
128	96	112	126

$$1234 = 95 \times 13 - 1$$

$$1002 = 77 \times 13 + 1$$

$$1768 = 136 \times 13$$

AA/AG	GA/AG	TA/AG	CA/AG
160	156	0	136
AA/TC	GA/TC	TA/TC	CA/TC
140	140	192	164
AG/AG	GG/AG	TG/AG	CG/AG
188	80	0	188
AG/TC	GG/TC	TG/TC	CG/TC
112	80	128	188
AT/AG	GT/AG	TT/AG	CT/AG
0	128	144	144
AT/TC	GT/TC	TT/TC	CT/TC
144	128	176	144
AC/AG	GC/AG	TC/AG	CC/AG
128	96	112	126
AC/TC	GC/TC	TC/TC	CC/TC
128	96	112	126

$$924 = 71 \times 13 + 1$$

$$844 = 65 \times 13 - 1$$

$$1846 = 142 \times 13$$

AA/AG	GA/AG	TA/AG	CA/AG
160	156	0	136
AA/TC	GA/TC	TA/TC	CA/TC
140	140	192	164
AG/AG	GG/AG	TG/AG	CG/AG
188	80	0	188
AG/TC	GG/TC	TG/TC	CG/TC
112	80	128	188
AT/AG	GT/AG	TT/AG	CT/AG
0	128	144	144
AT/TC	GT/TC	TT/TC	CT/TC
144	128	176	144
AC/AG	GC/AG	TC/AG	CC/AG
128	96	112	126
AC/TC	GC/TC	TC/TC	CC/TC
128	96	112	126

$$922 = 71 \times 13 - 1$$

$$924 = 71 \times 13 + 1$$

$$2158 = 166 \times 13$$

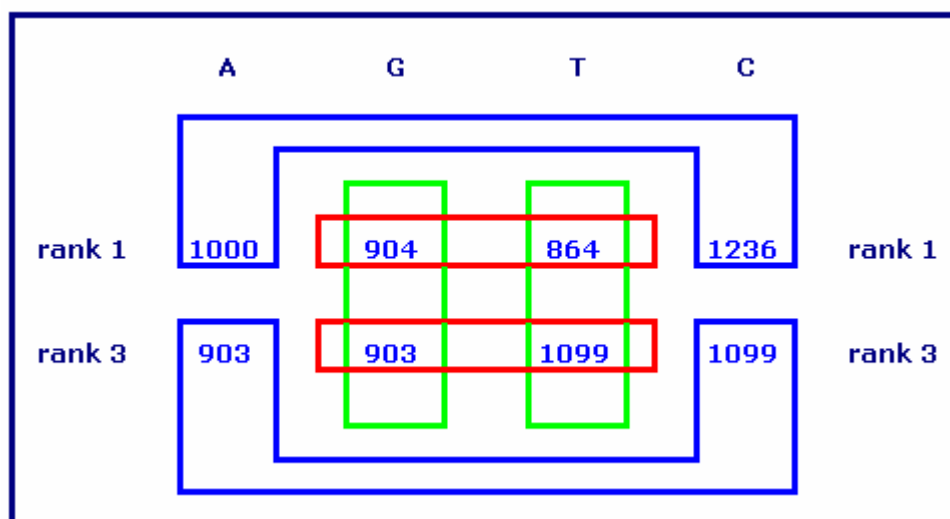
AA/AG	GA/AG	TA/AG	CA/AG
160	156	0	136
AA/TC	GA/TC	TA/TC	CA/TC
140	140	192	164
AG/AG	GG/AG	TG/AG	CG/AG
188	80	0	188
AG/TC	GG/TC	TG/TC	CG/TC
112	80	128	188
AT/AG	GT/AG	TT/AG	CT/AG
0	128	144	144
AT/TC	GT/TC	TT/TC	CT/TC
144	128	176	144
AC/AG	GC/AG	TC/AG	CC/AG
128	96	112	126
AC/TC	GC/TC	TC/TC	CC/TC
128	96	112	126

$$1054 = 81 \times 13 + 1$$

$$1104 = 85 \times 13 - 1$$

Others phenomena of only multiples of prime number 13

Symmetric associations of multiples of prime number 13
(no associations with rank 2)



$$1000 + 1236 = 172 \times 13$$

$$903 + 1099 = 154 \times 13$$

$$904 + 864 = 136 \times 13$$

$$903 + 1099 = 154 \times 13$$

$$904 + 903 = 139 \times 13$$

$$864 + 1099 = 151 \times 13$$

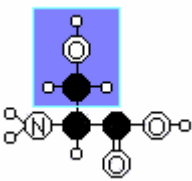
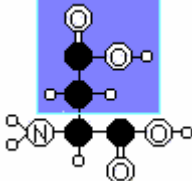
Various important observed phenomena	
The base of twenty amino acids is always the same : consisted of 4 atoms of hydrogen, 2 atoms of carbon, 1 atom of nitrogen, and 2 atoms of oxygen.	The total protons number of every base (of amino acid) is 39 ➡ 3 times prime number 13
Systematically, it seems that the coded are identical if the final base of the codon is A either G or if this base is T or C . This except for a named group the rebel group : ATA72, ATG80, TGG108 and TGA (STOP)	The total protons number of the rebel group is 260 ➡ 20 times prime number 13
Three coded amino acids contain a sulphur atom , this sulphured coded group is : TGT64, TGC64 and ATG80 (cysteine, cysteine and methionine).	The total protons number of the sulphured group is 208 ➡ 16 times prime number 13

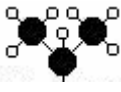



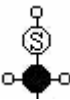
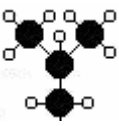
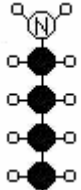
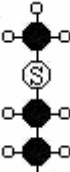
Symmetric and not symmetric amino acids

Here are connected by numeric and symmetric phenomena of multiples of the prime numbers 7, 11 and 13:

- **the configuration of DNA bases,**
- **the number of protons contained in every respective amino acid**
- **and the molecular structure of the respective amino acid.**

The 20 amino acids used in the genetic code can be distributed in two groups. These two groups separate the amino acids with a **symmetric radical** (including the electronic liaisons) from those with a **asymmetric radical**.

Examples of configurations	
<p>SER 56</p>  <p>with a symmetric radical with a protons number multiple of 8</p>	<p>ASP 70</p>  <p>with a asymmetric radical with a protons number not multiple of 8</p>

The 8 amino acids with a symmetric radical			
 <p>VAL 64</p>	 <p>SER 56</p>	 <p>ALA 48</p>	 <p>GLY 40</p>
 <p>CYS 64</p>	 <p>LEU 72</p>	 <p>LYS 80</p>	 <p>MET 80</p>

Without the rebel group, the interaction between the group of amino acids with symmetric radical and this with not symmetric radical reveals numerical phenomena of symmetric multiples of the prime numbers **7, 11** and **13**.

Distribution of protons numbers in the genetic code table (without the rebel group)

AA with symmetric radical

AA with not symmetric radical

AAA 80 LYS AAG 80 LYS AAT 70 ASN AAC 70 ASN 160 140	GAA 78 GLU GAG 78 GLU GAT 70 ASP GAC 70 ASP 0 296	TAA 0 TAG 0 TAT 96 TYR TAC 96 TYR 0 192	CAA 78 GLN CAG 78 GLN CAT 82 HIS CAC 82 HIS 0 320
AGA 94 ARG AGG 94 ARG AGT 56 SER AGC 56 SER 112 188	GGA 40 GLY GGG 40 GLY GGT 40 GLY GGC 40 GLY 160 0	TGA 0 TGG 108 TRP TGT 64 CYS TGC 64 CYS 128 0	CGA 94 ARG CGG 94 ARG CGT 94 ARG CGC 94 ARG 0 376
ATA 72 ILE ATG 80 MET ATT 72 ILE ATC 72 ILE 0 144	GTA 64 VAL GTG 64 VAL GTT 64 VAL GTC 64 VAL 256 0	TTA 72 LEU TTG 72 LEU TTT 88 PHE TTC 88 PHE 144 176	CTA 72 LEU CTG 72 LEU CTT 72 LEU CTC 72 LEU 288 0
ACA 64 THR ACG 64 THR ACT 64 THR ACC 64 THR 0 256	GCA 48 ALA GCG 48 ALA GCT 48 ALA GCC 48 ALA 192 0	TCA 56 SER TCG 56 SER TCT 56 SER TCC 56 SER 224 0	CCA 63 PRO CCG 63 PRO CCT 63 PRO CCC 63 PRO 0 252

$$1664 = 13 \times 4 \times 32$$

$$2340 = 13 \times 4 \times 45$$

The protons numbers of these two groups are multiple of the prime number 13 :
(recall: the total number of the 64 coded is $4004 = 308 \times 13$)

Distribution of protons numbers in the genetic code table (without the rebel group)

AA with symmetric radical

AA with not symmetric radical

	A	T	G	C
A	160			
T	112	160	128	
G		256	144	288
C		192	224	

$$1664 = 13 \times 4 \times 32$$

	A	T	G	C
A	140	296	192	320
T	188			376
G	144		176	
C	256			252

$$2340 = 13 \times 4 \times 45$$

Phenomena of symmetric multiples of the prime numbers **7**, **11** and **13**:

Numeric symmetrical phenomena of multiples of the prime number 7
(recall: AA with symmetric radical AA with not symmetric radical)

<table border="1" style="margin: 5px;"> <tr><td>160</td><td></td><td></td><td></td></tr> <tr><td>112</td><td>160</td><td>128</td><td></td></tr> <tr><td></td><td>256</td><td>144</td><td>288</td></tr> <tr><td></td><td>192</td><td>224</td><td></td></tr> </table> $1708 = 7 \times 4 \times 61$	160				112	160	128			256	144	288		192	224		<table border="1" style="margin: 5px;"> <tr><td>140</td><td>296</td><td>192</td><td>320</td></tr> <tr><td>188</td><td></td><td></td><td>376</td></tr> <tr><td>144</td><td></td><td>176</td><td></td></tr> <tr><td>256</td><td></td><td></td><td>252</td></tr> </table> $1876 = 7 \times 4 \times 67$	140	296	192	320	188			376	144		176		256			252
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	256	144	288																														
	192	224																															
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112	160	128																															
	256	144	288																														
	192	224																															
140	296	192	320																														
188			376																														
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256			252																														

Numeric symmetrical phenomena of multiples of prime numbers 11 and 13

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160																																	
112	160	128																															
	256	144	288																														
	192	224																															
140	296	192	320																														
188			376																														
144		176																															
256			252																														
<table border="1" style="margin: 5px;"> <tr><td>160</td><td></td><td></td><td></td></tr> <tr><td>112</td><td>160</td><td>128</td><td></td></tr> <tr><td></td><td>256</td><td>144</td><td>288</td></tr> <tr><td></td><td>192</td><td>224</td><td></td></tr> </table> $1612 = 13 \times 4 \times 31$	160				112	160	128			256	144	288		192	224		<table border="1" style="margin: 5px;"> <tr><td>140</td><td>296</td><td>192</td><td>320</td></tr> <tr><td>188</td><td></td><td></td><td>376</td></tr> <tr><td>144</td><td></td><td>176</td><td></td></tr> <tr><td>256</td><td></td><td></td><td>252</td></tr> </table> $1584 = 11 \times 4 \times 36$	140	296	192	320	188			376	144		176		256			252
160																																	
112	160	128																															
	256	144	288																														
	192	224																															
140	296	192	320																														
188			376																														
144		176																															
256			252																														

Others numeric symmetrical phenomena of multiples of prime number 11

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160																																	
112	160	128																															
	256	144	288																														
	192	224																															
140	296	192	320																														
188			376																														
144		176																															
256			252																														
<table border="1"> <tr><td>160</td><td></td><td></td><td></td></tr> <tr><td>112</td><td>160</td><td>128</td><td></td></tr> <tr><td></td><td>256</td><td>144</td><td>288</td></tr> <tr><td></td><td>192</td><td>224</td><td></td></tr> </table> $1672 = 11 \times 4 \times 38$	160				112	160	128			256	144	288		192	224		<table border="1"> <tr><td>140</td><td>296</td><td>192</td><td>320</td></tr> <tr><td>188</td><td></td><td></td><td>376</td></tr> <tr><td>144</td><td></td><td>176</td><td></td></tr> <tr><td>256</td><td></td><td></td><td>252</td></tr> </table> $2332 = 11 \times 4 \times 53$	140	296	192	320	188			376	144		176		256			252
160																																	
112	160	128																															
	256	144	288																														
	192	224																															
140	296	192	320																														
188			376																														
144		176																															
256			252																														
<table border="1"> <tr><td>160</td><td></td><td></td><td></td></tr> <tr><td>112</td><td>160</td><td>128</td><td></td></tr> <tr><td></td><td>256</td><td>144</td><td>288</td></tr> <tr><td></td><td>192</td><td>224</td><td></td></tr> </table> $1716 = 11 \times 13 \times 12$	160				112	160	128			256	144	288		192	224		<table border="1"> <tr><td>140</td><td>296</td><td>192</td><td>320</td></tr> <tr><td>188</td><td></td><td></td><td>376</td></tr> <tr><td>144</td><td></td><td>176</td><td></td></tr> <tr><td>256</td><td></td><td></td><td>252</td></tr> </table> $2288 = 11 \times 13 \times 16$	140	296	192	320	188			376	144		176		256			252
160																																	
112	160	128																															
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140	296	192	320																														
188			376																														
144		176																															
256			252																														

SECOND PART OF THE STUDY INCLUDING THE REBEL GROUP INTO ACCOUNTS

Second part study technical introduction

In this second part : phenomena of multiples of prime number 13 only and including the rebel group into accounts.

This genetic code table version is the must representation for a good comprehension of presented phenomena in this study (first and second part). The following table describes the three bases of the codon, the respective coded amino acid and the number of protons contained in the coded amino acid. Here, values of **the rebel group** are taken into accounts. In fat the totals accumulated by protons appear.

AAA LYS	80	GAA GLU	78	TAA STOP	0	CAA GLN	78	236	
AAG LYS	80	GAG GLU	78	TAG STOP	0	CAG GLN	78	236	
AAT ASN	70	GAT ASP	70	TAT TYR	96	CAT HIS	82	318	
AAC ASN	70	GAC ASP	70	TAC TYR	96	CAC HIS	82	318	
	300		296		192		320		1108
AGA ARG	94	GGA GLY	40	TGA STOP	0	CGA ARG	94	228	
AGG ARG	94	GGG GLY	40	TGG TRP	108	CGG ARG	94	336	
AGT SER	56	GGT GLY	40	TGT CYS	64	CGT ARG	94	254	
AGC SER	56	GGC GLY	40	TGC CYS	64	CGC ARG	94	254	
	300		160		236		376		1072
ATA ILE	72	GTA VAL	64	TTA LEU	72	CTA LEU	72	280	
ATG MET	80	GTG VAL	64	TTG LEU	72	CTG LEU	72	288	
ATT ILE	72	GTT VAL	64	TTT PHE	88	CTT LEU	72	296	
ATC ILE	72	GTC VAL	64	TTT PHE	88	CTC LEU	72	296	
	296		256		320		288		1160
ACA THR	64	GCA ALA	48	TCA SER	56	CCA PRO	63	231	
ACG THR	64	GCG ALA	48	TCG SER	56	CCG PRO	63	231	
ACT THR	64	GCT ALA	48	TCT SER	56	CCT PRO	63	231	
ACC THR	64	GCC ALA	48	TCC SER	56	CCC PRO	63	231	
	256		192		224		252		924
	1152		904		972		1236		4264

Distribution of the total number of protons (included the rebel group)				
Base rank	Base A	Base G	Base T	Base C
Rank 1	1152	904	972	1236
Rank 2	1108	1072	1160	924
Rank 3	975	1091	1099	1099

Symmetric values sums multiple of the prime number 13

Symmetric and complementary associations of multiples of prime number 13					
	A	G	T	C	
base 1	1152	904	972	1236	base 1
base 2	1108	1072	1160	924	base 2
base 3	975	1091	1099	1099	base 3
904 + 1072 + 972 + 1160 = 316 x 13		1152 + 1108 + 1236 + 924 = 340 x 13			
904 + 1072 = 152 x 13	972 + 1160 = 164 x 13	1108 + 975 + 1160 + 1099 = 334 x 13		1072 + 1091 + 924 + 1099 = 322 x 13	

The symmetric sums of these values are quite multiple of **13 in 2 near** :

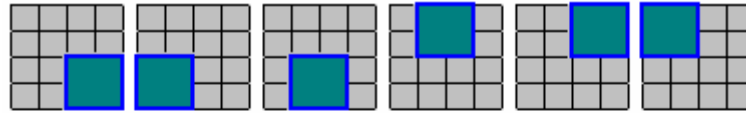
Symmetric associations of multiples of prime number 13 (in 2 near)					
	A	G	T	C	
base 1	1152	904	972	1236	base 1
base 2	1108	1072	1160	924	base 2
base 3	975	1091	1099	1099	base 3
$1152 + 904 + 1108 + 1072 =$ $(326 \times 13) - 2$		$1108 + 975 + 924 + 1099 =$ $(316 \times 13) - 2$		$1152 + 1236 + 1091 + 1099 =$ $(352 \times 13) + 2$	
$972 + 1236 + 1160 + 924 =$ $(330 \times 13) + 2$		$1072 + 1160 + 1091 + 1099 =$ $(340 \times 13) + 2$		$904 + 972 + 975 + 1099 =$ $(304 \times 13) - 2$	

Symmetrical associations of multiples of the prime number 13

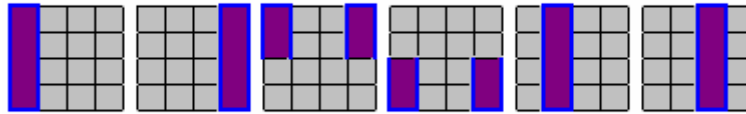
A column and a square: The symmetrical sums are identical.																																																																			
<table border="1" style="border-collapse: collapse;"> <tr><td>300</td><td>296</td><td>192</td><td>320</td></tr> <tr><td>300</td><td>160</td><td>236</td><td>376</td></tr> <tr><td>296</td><td>256</td><td>320</td><td>288</td></tr> <tr><td>256</td><td>192</td><td>224</td><td>252</td></tr> </table> <p>172 x 13</p>	300	296	192	320	300	160	236	376	296	256	320	288	256	192	224	252	<table border="1" style="border-collapse: collapse;"> <tr><td>300</td><td>296</td><td>192</td><td>320</td></tr> <tr><td>300</td><td>160</td><td>236</td><td>376</td></tr> <tr><td>296</td><td>256</td><td>320</td><td>288</td></tr> <tr><td>256</td><td>192</td><td>224</td><td>252</td></tr> </table> <p>172 x 13</p>	300	296	192	320	300	160	236	376	296	256	320	288	256	192	224	252	<table border="1" style="border-collapse: collapse;"> <tr><td>300</td><td>296</td><td>192</td><td>320</td></tr> <tr><td>300</td><td>160</td><td>236</td><td>376</td></tr> <tr><td>296</td><td>256</td><td>320</td><td>288</td></tr> <tr><td>256</td><td>192</td><td>224</td><td>252</td></tr> </table> <p>156 x 13</p>	300	296	192	320	300	160	236	376	296	256	320	288	256	192	224	252	<table border="1" style="border-collapse: collapse;"> <tr><td>300</td><td>296</td><td>192</td><td>320</td></tr> <tr><td>300</td><td>160</td><td>236</td><td>376</td></tr> <tr><td>296</td><td>256</td><td>320</td><td>288</td></tr> <tr><td>256</td><td>192</td><td>224</td><td>252</td></tr> </table> <p>156 x 13</p>	300	296	192	320	300	160	236	376	296	256	320	288	256	192	224	252
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Summary symmetrical associations of multiples of the prime number 13

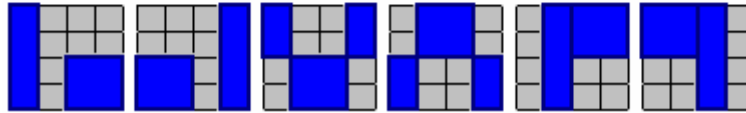
These 6 squares are associated with...



...These 6 columns (or 2 sub columns)...



...To form 6 symmetrical associations of multiples of the prime number 13



Distribution of the 64 coded in four groups

According to the configuration of the DNA bases of the 64 codons, the 64 coded are distributed into two groupings subdivided in four groups.

Depiction of groupings, groups and codons configuration		
grouping	group	Codons depiction
GROUPING 1	Group 1	Codons with 3 bases A or/and T only
	Group 4	Codons with 3 bases G or/and C only
GROUPING 2	Group 2	Codons with 2 bases A or/and T + 1 base G or C
	Group 3	Codons with 2 bases G or/and C + 1 base A or T

First grouping

This grouping is constituted with 16 codons. In this grouping are represented **10 coded + 1 "coded" STOP**.

In this grouping, the total's number of protons is multiple of the prime number 13 (**80 time 13**). (sub totals are multiple of prime number 11 and prime number 7).

3 bases A or/and T only			3 bases G or/and C only		
codon	coded	protons number	codon	coded	protons number
AAA	LYS	80	GGG	GLY	40
AAT	ASN	70	GGC	GLY	40
ATA	ILE	72	GCG	ALA	48
ATT	ILE	72	GCC	ALA	48
TTT	PHE	88	CCC	PRO	63
TTA	LEU	72	CCG	PRO	63
TAT	TYR	96	CGC	ARG	94
TAA	-	0	CGG	ARG	94
base A or/and T = 550			base G or/and C = 490		
Grouping 1 total number = 1040 = 80 x 13					

Second grouping

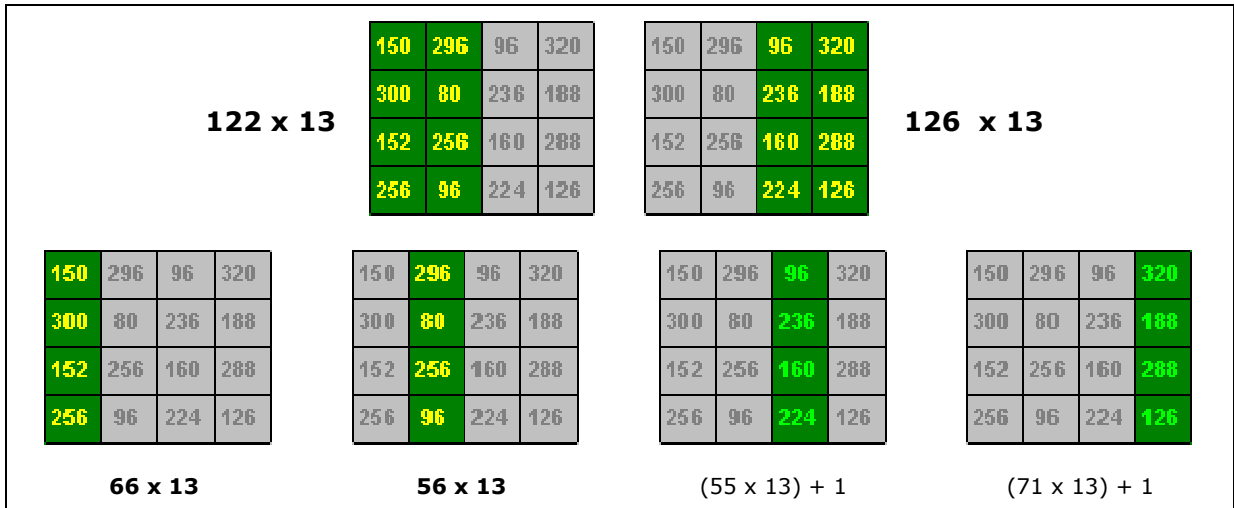
This grouping is constituted with 48 codons. In this grouping are represented **10 other coded + 1 "coded" STOP**. In this grouping, the total's number of protons (**10 other coded**) is multiple of the prime number 13 (**248 time 13**).

Inside this grouping, the total quantity of protons of the coded codons of which have for first base **A** and **G** is multiple of 13 (**122 times 13**). The respective quantity for bases **T** and **C** is (logical consequence) multiple of 13 (**126 times 13**).

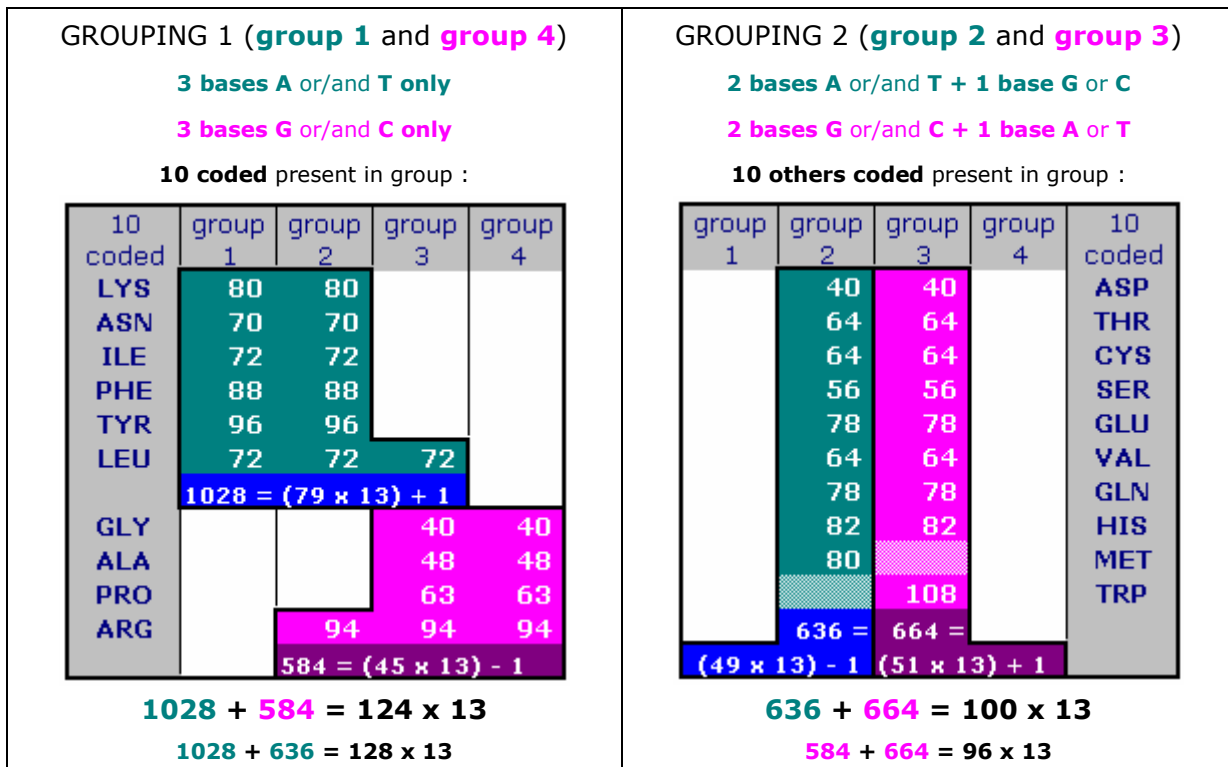
More in detail, the respective totals for bases **A** and **G** taken alone are also multiple of 13 (**66 times 13** for **A** and **56 times 13** for **G**) (these totals are respectively multiple of 11 and 7). Respective totals for **T** and **C** are multiple of 13 In 1 near. (**55 and 71 times 13 in 1 near**). (these totals are respectively multiple of 11 in 1 near and of 7 in 2 near).

2 bases A or/and T + 1 base G or/and C			2 bases G or/and C + 1 base A or/and T		
codon	coded	protons number	codon	coded	protons number
AAG	LYS	80	AGG	ARG	94
AAC	ASN	70	AGC	SER	56
AGA	ARG	94	ACC	THR	64
ACA	THR	64	ACG	THR	64
ATG	MET	80	GGA	GLY	40
ATC	ILE	72	GGT	GLY	40
AGT	SER	56	GAG	GLU	78
ACT	THR	64	GTG	VAL	64
GAA	GLU	78	GCA	ALA	48
GAT	ASP	70	GCT	ALA	48
GTT	VAL	64	GAC	ASP	70
GTA	VAL	64	GTC	VAL	64
first base A = 66 x 13			first base G = 56 x 13		
Total number (first base A or G) = 122 x 13					
codon	coded	protons number	codon	coded	protons number
TTG	LEU	72	TGG	TRP	108
TTC	PHE	88	TGC	CYS	64
TGT	CYS	64	TCC	SER	56
TCT	SER	56	TCG	SER	56
TAG	-	0	CCA	PRO	63
TAC	TYR	96	CCT	PRO	63
TGA	-	0	CAC	HIS	82
TCA	SER	56	CTC	LEU	72
CAA	GLN	78	CGA	ARG	94
CAT	HIS	82	CGT	ARG	94
CTT	LEU	72	CAG	GLN	78
CTA	LEU	72	CTG	LEU	72
first base T = (55 X 13) + 1			first base C = (71 x 13) - 1		
Total number (first base T or C) = 126 x 13					
Grouping 2 total number = 248 x 13					

Phenomena representation in the genetic code table (only with grouping 2 values):



Symmetric and asymmetric distribution of the 20 amino acids



The distribution of amino acids in the two groupings is, in same time, **perfectly symmetric** and **perfectly asymmetric** :

VERY IMPORTANT ESTABLISHED PHENOMENA	
Symmetric and asymmetric phenomena in the repartition of the 20 amino acids	
GROUPING 1 (group 1 and group 4)	GROUPING 2 (group 2 and group 3)
10 amino acids are represented (50%) (+ 1 STOP)	10 other represented amino acids (+ 1 STOP)
No amino acid in common in both groups (group 1 and group 4) and ...	All the amino acids in common in both groups (group 2 and group 3) except ...
... Two amino acids are represented twice in the other grouping :	... Two amino acids are represented only in one group :
LEU in groups 3 and 2 ARG in groups 2 and 3	TRP only in group 3 MET only in group 2
All the amino acids are represented in both groupings: group 1 present in group 2 (other grouping) and group 4 present in group 3 (other grouping)	No amino acid are represented in both groupings: ... group 2 (except MET) in group 3 (same grouping) and group 3 (except TRP) in group 2 (same grouping)

The 26 great codons

In conclusion of this study, a new presentation of the genetic code suggesting to classifying codons and coded in 26 entities: a great codon for a (great) coded . So for example the arginine is not coded 6 times but rather twice by:

A great codon consisted of **2 codons** (AGA and AGG)

A great codon consisted of **4 codons** (CGA, CGG, CGT and CGC)

This table of the genetic code is **symmetric** when one considers the number of coded contained in each of 16 table box. This table contains **26 great codons** among which 13 in both first columns (first DNA base **A and G**) and 13 in both last ones (first DNA base **T and C**):

NEW SYMMETRIC TABLE OF THE GENETIC CODE																																																															
13 GREAT CODONS IN 4 boxes with 1 great codon 3 boxes with 2 great codons 1 box with 3 great codons		13 GREAT CODONS IN 4 boxes with 1 great codon 3 boxes with 2 great codons 1 box with 3 great codons																																																													
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The columns of DNA bases **A and T** and DNA bases **G and C** also contain the same number of great codons :

Columns A and T: 1 box of 1 , 2 boxes of 2 and 1 box of 3.

Columns G and C: 3 boxes of 1, and 1 box of 2.

CONCLUSION

It clearly appears in this study that the universal genetic code answers numerical constraints. These numerical constraints connect the configuration of codons with the atomic structure of the respectively coded amino acids.

This study reveals very many phenomena of multiples of prime numbers connecting:

➔ **the codons configuration (triplets of DNA bases)**

to

➔ **the number of protons (or atomic number) constituting the coded amino acids.**

This study also reveals very many facts of symmetry in the distribution of these phenomena. These phenomena observed relate to the whole of the genetic code and are often complementary systematically and very symmetrically.

These phenomena imply the prime numbers:

➔ **7, 11 and 13.**

A very important observation revealed in this study, highlights the association of:

➔ **phenomena of concentration of multiples of the prime number 7 towards coding of the amino acid coded proline**

to

➔ **the a number of times that an amino acid is coded.**

This study largely draws the attention to this particular amino acid of which the general structure is the only one to be distinguished from the other amino acids. All the other amino acids (included in the universal genetic code) have a radical including an odd number of protons. **The proline is the only amino acid to have an even number of it.**

This study also shows the following rule:

Except a named group **the rebel group** (ATA , ATG, TGG and TGA) with a total protons number multiple of the prime number 13, the codons code for the same coded

➔ **if and only if their last base is A or G**

➔ **if and only if their last base is T or C**

This study also proposes a reorganization of the table of the universal genetic code while gathering code them and coded in twenty-six entities. These entities (distributed symmetrically in the table of the genetic code) gather a great codon and a great coded. Thus, this new table of the genetic code includes 26 great codons connected with 26 great coded of which:

➔ **8 great codons-coded of 4 codons-coded**

➔ **14 great codons-coded of 2 codons-coded**

➔ **4 great codons-coded of 1 codon-coded**